ベクトル解析の基礎（サイエンス社，寺田文行，木村宣昭著，初版第 10-13 刷）　正誤表

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頁等	誤	正
P.21 問 1 (2)	a(t)=(tan 2t, log(1+t²),e^{3t})	a(t)=($\tan^{-1}$ 2t, log(1+t²),e^{3t})
P.33 問 22	$\mathbf{p} = (r\cos\theta, r\sin\theta)$,…で半径$r$の円周上を…	$\mathbf{p} = (a\cos\theta, a\sin\theta)$, …で半径$a$の円周上を…
P.54 問 33	λ =1 のとき$\cos t\,\mathbf{c}_1 + \sin t\,\mathbf{c}_2 - \frac{1}{2}t(\cos t, \sin t)$	λ =1 のとき$\cos t\,\mathbf{c}_1 + \sin t\,\mathbf{c}_2 + \frac{1}{2}t(-\cos t, \sin t)$
P.54 問 35(1)	$\frac{\partial f}{\partial u} = (0,3v,2), \frac{\partial f}{\partial v} = (1,3u,0)$ $\frac{\partial^2}{\partial u \partial v} = (0,3,0)$	$\frac{\partial f}{\partial u} = (v,3v,2), \frac{\partial f}{\partial v} = (u,3u,0)$ $\frac{\partial^2}{\partial u \partial v} = (1,3,0)$
P.54 問 36(1)	$z = \frac{1}{3}(6 - 6u - 2v)$	$z = \frac{1}{3}(6 - 6u + 2v)$
P.54 問 38(2)	$\frac{\sqrt{5}}{2} + \log(2+\sqrt{5})$	$\frac{\sqrt{5}}{2} + \frac{1}{4}\log(2+\sqrt{5})$
P.54 問 39(2)	法線 –x+1=z-1, y=1	法線 –x+1=z+1, y=1
P.61 問 9	$\nabla\varphi = 0$	$\nabla\varphi = \mathbf{0}$（ゴチ）
P.67 4 行目	p=(x,y,z)を空間のベクトル	p=(x,y,z)を空間の位置ベクトル
P.76 問 7	$2x + 2y - z - 4 = 0$	$2x + 2y - z - 2 = 0$

P.70 15 行目	$\mathrm{F}\frac{\partial f}{\partial x}+\mathrm{G}\frac{\partial f}{\partial y}+\mathrm{H}\frac{\partial f}{\partial x}$	$\mathrm{F}\frac{\partial f}{\partial x}+\mathrm{G}\frac{\partial f}{\partial y}+\mathrm{H}\frac{\partial f}{\partial z}$
P.81 問 3 3 行目	$C: x=t,\ y=t^2,\ x=t^3$	$C: x=t,\ y=t^2,\ z=t^3$
P.102 問 3	$\left(-\frac{17}{24},-\frac{3}{10},-\frac{17}{30}\right)$	$\left(-\frac{17}{24},-\frac{3}{10},\frac{17}{30}\right)$
P.92 定 理 4 の証明	左辺$=\iint_S \left\{\left(\frac{\partial h}{\partial y}-\frac{\partial g}{\partial z}\right)dydz+\left(\frac{\partial f}{\partial z}-\frac{\partial h}{\partial x}\right)dzdx+\left(\frac{\partial g}{\partial x}-\frac{\partial f}{\partial y}\right)dydz\right\}$ $=\iint_S \left\{\left(\frac{\partial f}{\partial z}dzdx-\frac{\partial f}{\partial y}dxdy\right)+\left(\frac{\partial g}{\partial y}dydz-\frac{\partial g}{\partial x}dzdx\right)+\left(\frac{\partial h}{\partial x}dxdy-\frac{\partial h}{\partial x}dydz\right)\right\}$	左辺$=\iint_S \left\{\left(\frac{\partial h}{\partial y}-\frac{\partial g}{\partial z}\right)dydz+\left(\frac{\partial f}{\partial z}-\frac{\partial h}{\partial x}\right)dzdx+\left(\frac{\partial g}{\partial x}-\frac{\partial f}{\partial y}\right)dxdy\right\}$ $=\iint_S \left\{\left(\frac{\partial f}{\partial z}dzdx-\frac{\partial f}{\partial y}dxdy\right)+\left(\frac{\partial g}{\partial x}dxdy-\frac{\partial g}{\partial z}dydz\right)+\left(\frac{\partial h}{\partial y}dydz-\frac{\partial h}{\partial x}dzdx\right)\right\}$